

# Study Guide for Atmospheric Sciences 5270: Wind Power Meteorology

## Example Questions

(The number after question is the relevant subsection in the *Wind Resource Assessment Handbook*.)

1. Calculate the *average wind speed* and the *average wind power density* for a site at which the wind speed is 4 m/s for 75% of the time and 8 m/s for 25% of the time. The air density is 1 kg m<sup>-3</sup>. (10.1)
2. Based on the wind rose shown below, what is the most frequently occurring wind direction? For which two wind directions is the wind power density the largest? (10.1)

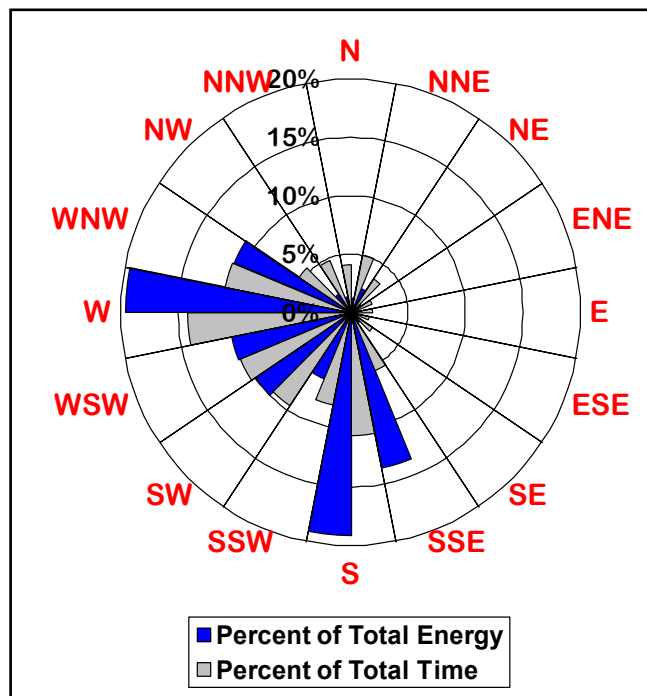


Figure 10-4 Wind rose plot example. (Source: AWS Truepower)

3. The power law equation relates the wind speeds at two heights:

$$\frac{v_2}{v_1} = \left( \frac{z_2}{z_1} \right)^\alpha.$$

What is the wind speed  $v_2$  at height  $z_2$  if  $v_1 = 10 \text{ m s}^{-1}$ ,  $z_1 = 50 \text{ m}$ ,  $z_2 = 80 \text{ m}$ , and the wind shear exponent  $\alpha = 0.14$ ? (10.1, 11.1)

4. The log wind speed profile is

$$v = \frac{u_*}{k} \log \left( \frac{z}{z_0} \right),$$

where  $u_*$  is the friction velocity and  $z_0$  is the roughness length. Apply this formula to the wind speed at two different heights,  $z_1$  and  $z_2$  to obtain

$$\frac{v_2}{v_1} = \frac{\log(z_2/z_0)}{\log(z_1/z_0)}.$$

According to Table 11-1, what value of  $z_0$  corresponds to  $\alpha = 0.14$ ? Use this value for  $z_0$  and the same values for  $v_1$ ,  $z_1$ , and  $z_2$  as in the previous problem, and calculate the wind speed  $v_2$  at height  $z_2$ . (Lecture 6: Surface layer wind profiles; 11.1: Eq. 11-7)

5. Using the formula for the total uncertainty of two independent (uncorrelated) components,

$$\sigma = \sqrt{\sigma_1^2 + \sigma_2^2},$$

calculate the total uncertainty if  $\sigma_1 = 4\%$  and  $\sigma_2 = 2\%$ . (14.3: Eq. 14-2)

6. Using the formula for the uncertainty of the average obtained from  $N$  measurements,

$$\sigma = \frac{\sigma_1}{\sqrt{N}},$$

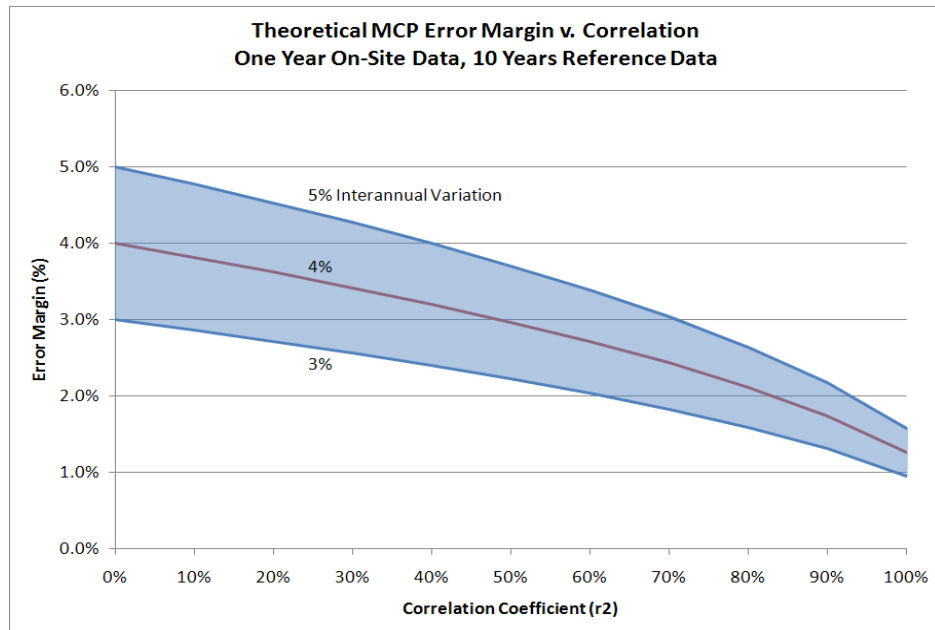
where  $\sigma_1$  is the uncertainty of the average from a single measurement, and  $N$  is the number of measurements, what is the uncertainty in the long-term mean wind speed based on 15 years of measurements if the uncertainty based on a single year of measurement is 4%? (14.3: Eq. 14-3)

7. The basis of the climate adjustment process is to use the longer period of record at a reference station to reduce the uncertainty of the average wind speed obtained from one year of measurements at the target station. The uncertainty of the long-term mean wind speed at the target station in this case is

$$\sigma = \sigma_A \sqrt{\frac{r^2}{N_R} + \frac{1-r^2}{N_T}},$$

where  $\sigma_A$  is the uncertainty of the annual mean wind speed, ( $\sigma_A$  is assumed to be the same for the reference and target sites),  $r$  is the correlation coefficient between the target and reference station (usually for daily average wind speeds),  $N_R$  is the number of years of reference data, and  $N_T$  is the number of years of concurrent reference and target data. For  $\sigma_A = 4\%$ ,  $N_T = 1$  year, and  $N_R = 16$  years, for what correlation,  $r$ , is  $\sigma$ , the uncertainty of the long-term mean wind speed at the target station, the least? The greatest? What are the corresponding values of  $\sigma$ ? (12.2: Eq 12-1)

8. Using the plot shown below, determine the uncertainty of the long-term mean wind speed at a target site if the interannual variation is 5% and the correlation coefficient between the reference site and the target site is either 60% or 90%.



**Figure 12-3 Uncertainty margin in the estimated long-term mean wind speed at a site, assuming one year of on-site data and 10 years of reference data, as a function of the  $r^2$  coefficient between them and of the interannual variation in the wind at the site (the standard deviation of annual mean wind speeds divided by the long-term mean). (Source: AWS Truepower)**